

Neutron volumetric test of a high perfect crystal quality

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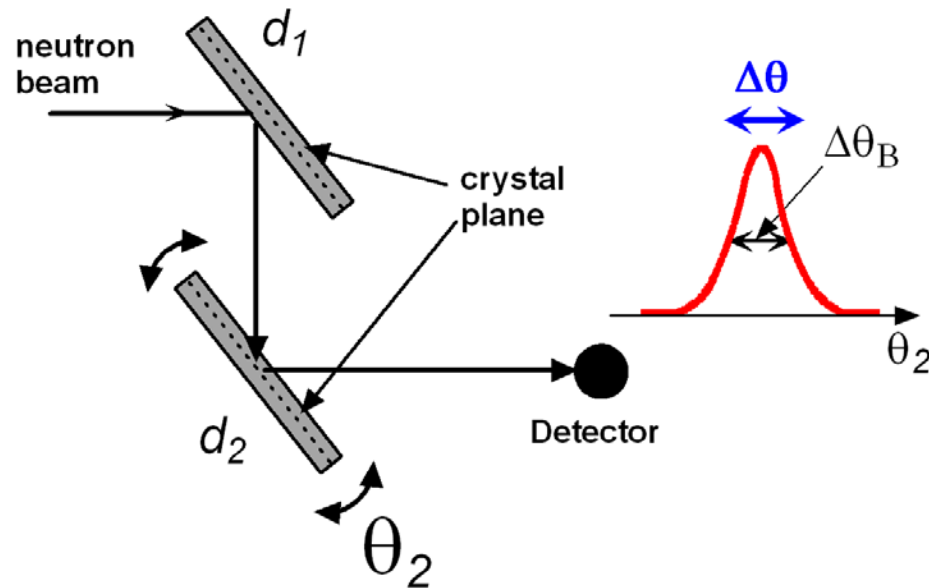
Motivation

- Crystal-diffraction nEDM project
(report of Fedorov Valery)
- Crystal diffraction method to measure neutron electric charge and inertial to gravitational mass ratio
(poster of Voronin Vladimir)

Require high perfect crystal with
 $\Delta d/d \sim 10^{-6}$ for the sizes **10x10x10 cm³**

Standard principle

- To measure the two crystals rocking curve



Problems –

- $\Delta\theta \sim 10^{-6} - 10^{-7}$
- How to measure absolute value of Δd ?
- Crystal preparation
- This is the test of surface only

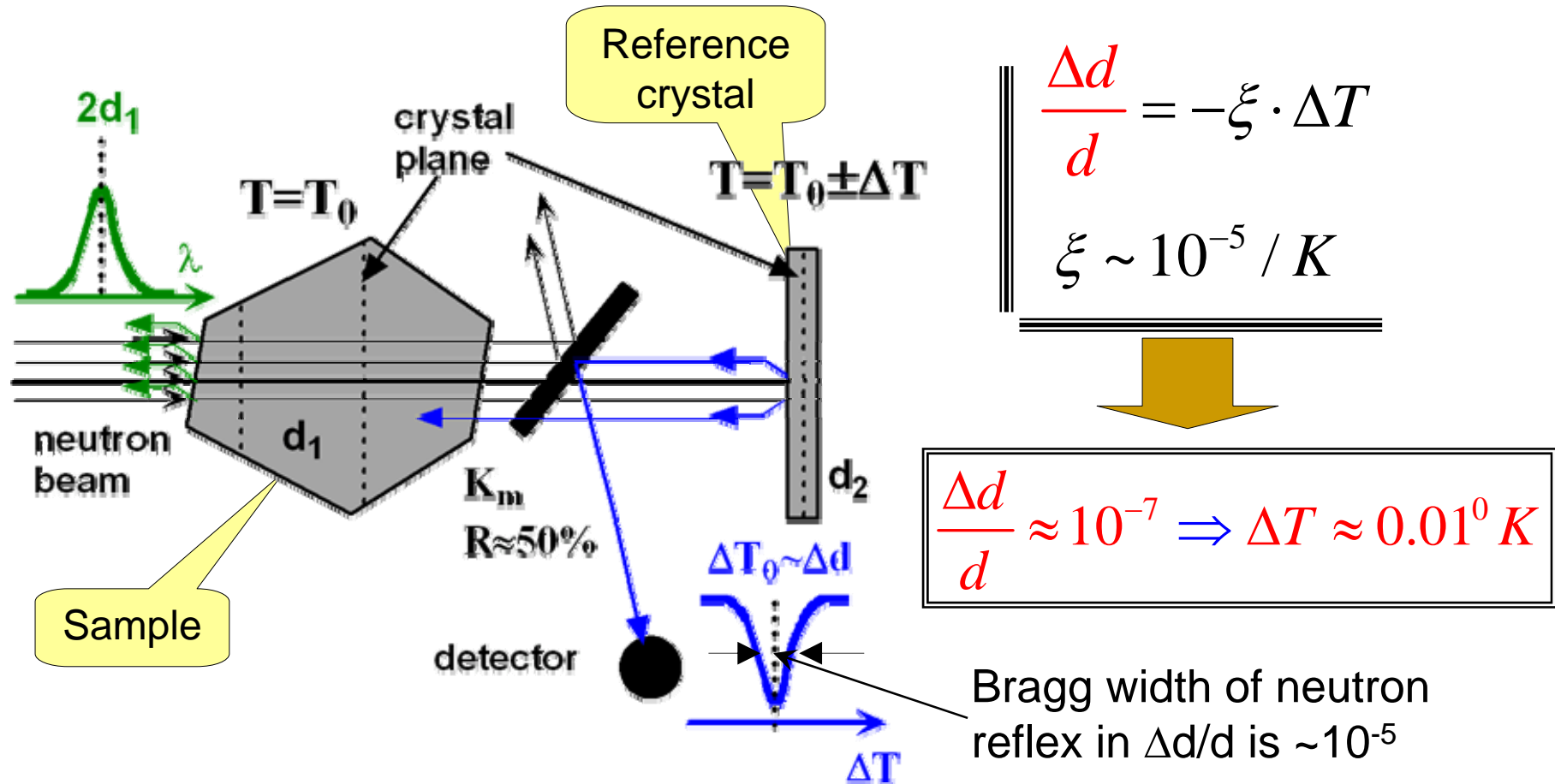
$$\frac{\Delta d}{d} \equiv \frac{d_1 - d_2}{d} = - \frac{\Delta\theta}{\tan(\theta_B)} \xrightarrow{\tan\theta_B \sim 1} \Delta\theta$$

Our requirements

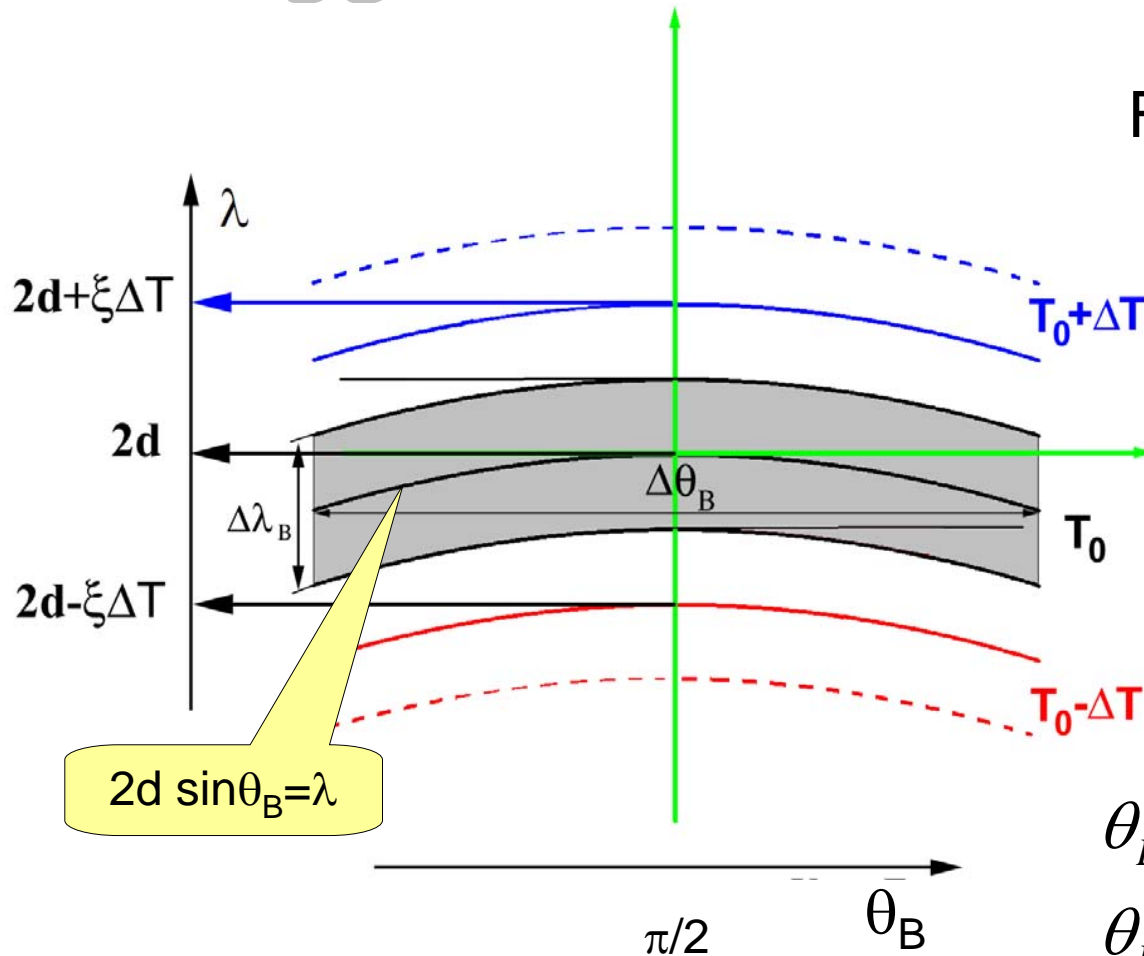
- Low cost
- Short time
- Test whole crystal volume
- Possibility to compare d of different samples
- Possibility to check crystal without preliminary preparation (cutting off, polishing, orientation)

Main idea

- Backscattering geometry $\lambda = 2d \sin \theta_B \xrightarrow{\theta_B \approx \pi/2} 2d$



Bragg width for backscattering



For cold neutron ($\lambda \sim 5 \text{ \AA}$)

$$\frac{\Delta \lambda_B}{\lambda} = \frac{4F_g d^2}{V \pi} \sim 10^{-5}$$

$$\Delta T_B \sim 1^0 K$$

Angular Bragg width

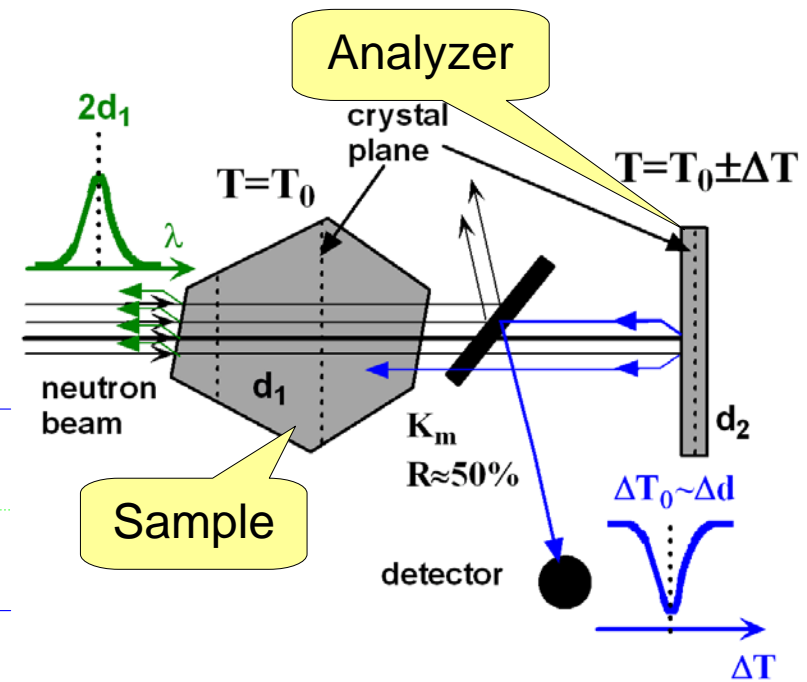
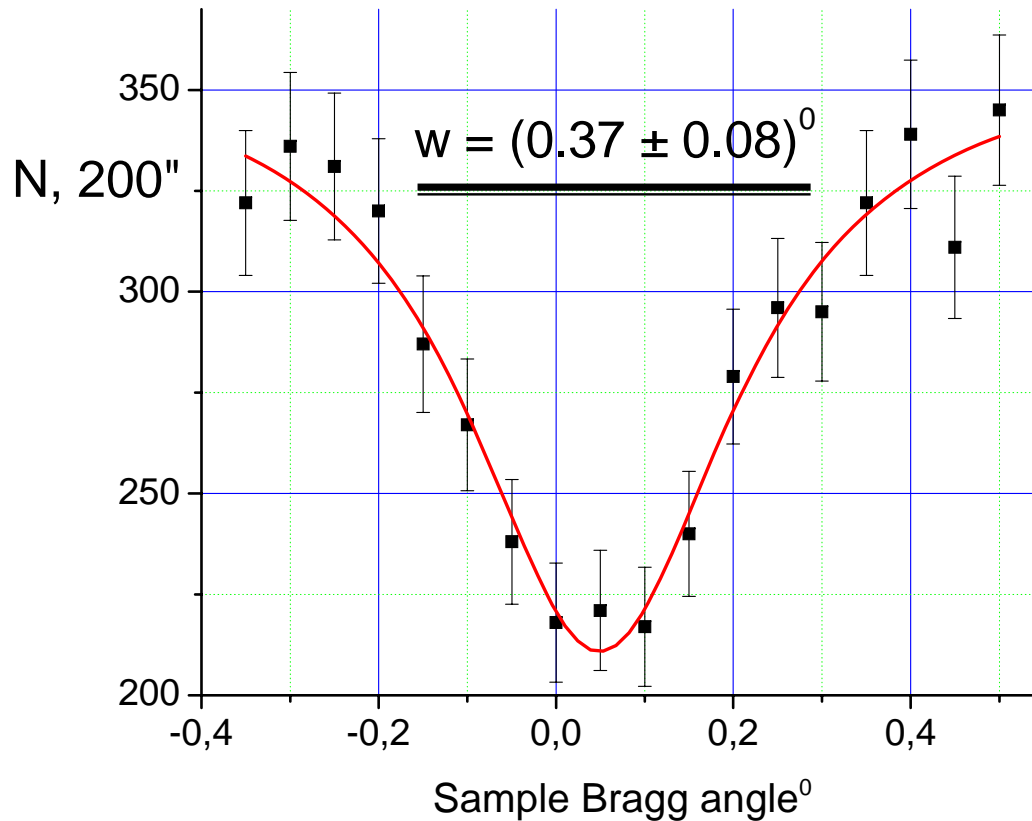
$$\theta_B \sim 45^0 \Rightarrow \Delta \theta_B \sim (1-2)''$$

$$\theta_B \sim 90^0 \Rightarrow \Delta \theta_B \sim 0.5^0$$

1000 times

Experiment

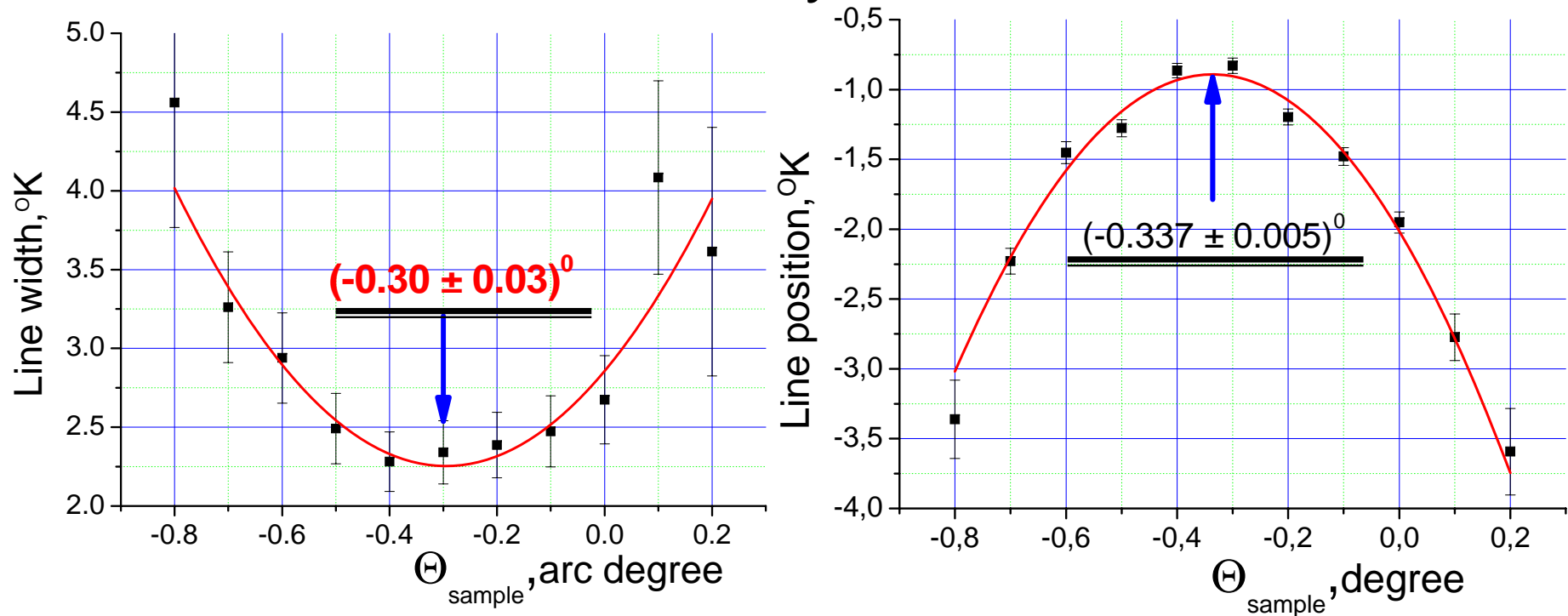
■ Quartz (110) plane



To get the accuracy $\sigma(\Delta d/d) \sim 10^{-6}$ we need angular crystal alignment $\sim 0.05^\circ$

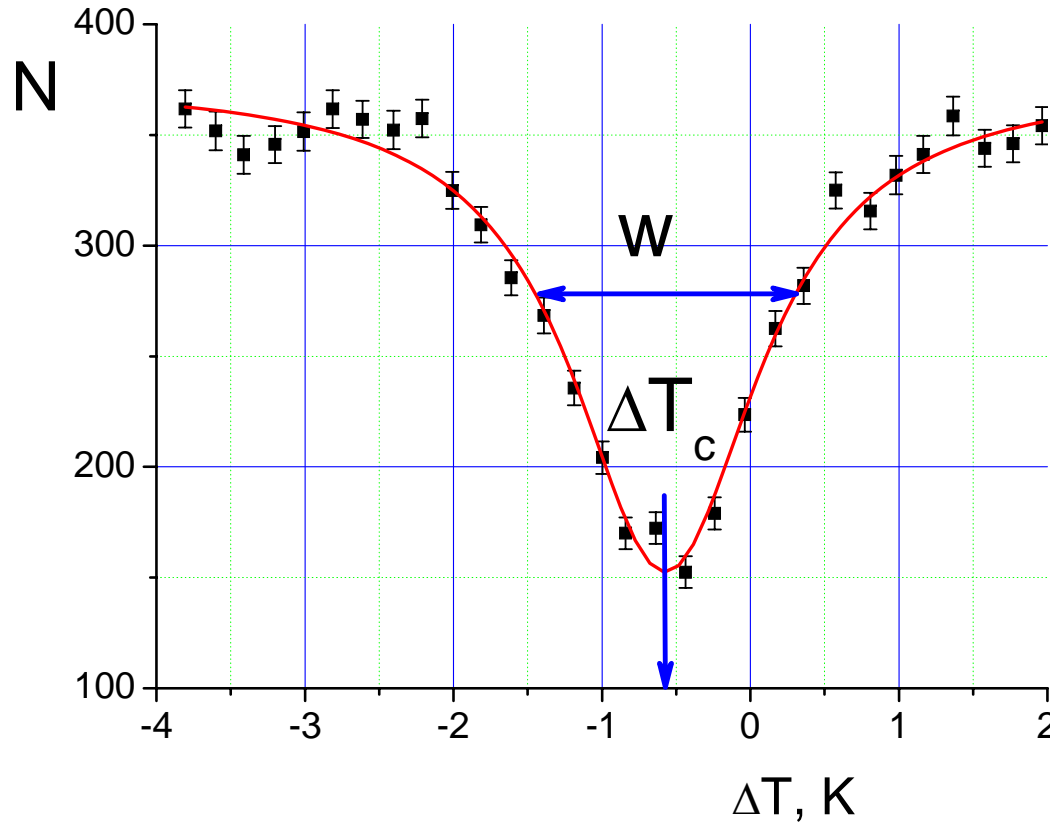
Crystal angular alignment

■ Minimal width of two crystal line



For the presented case the systematic for $\Delta d/d$ due to not exact crystals angular alignment $\sim \sigma(\Delta d/d)_{\text{syst}} \approx 2.5 \cdot 10^{-7}$

Example of two crystal line ("good")



$$W_T = (1.54 \pm 0.07)^\circ\text{K}$$

$$\Delta T_c = (-0.520 \pm 0.015)^\circ\text{K}$$

$$W_d = (2.1 \pm 0.1) 10^{-5}$$

$$W_d(\text{theory}) \approx 2 \cdot 10^{-5}$$

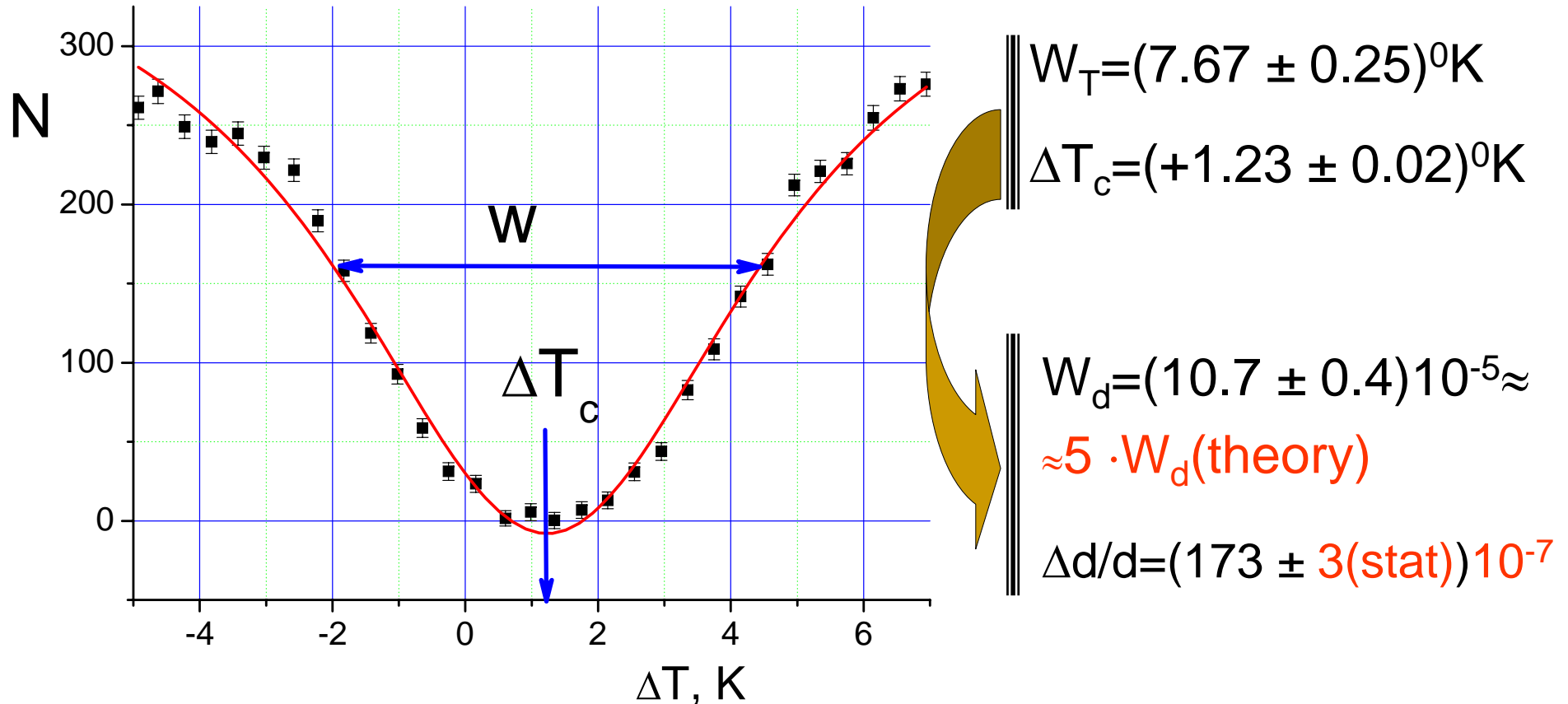
$$\Delta d/d = (-73 \pm 2(\text{stat})) 10^{-7}$$

Sample was synthetic
Analyzer was natural } \longrightarrow ??

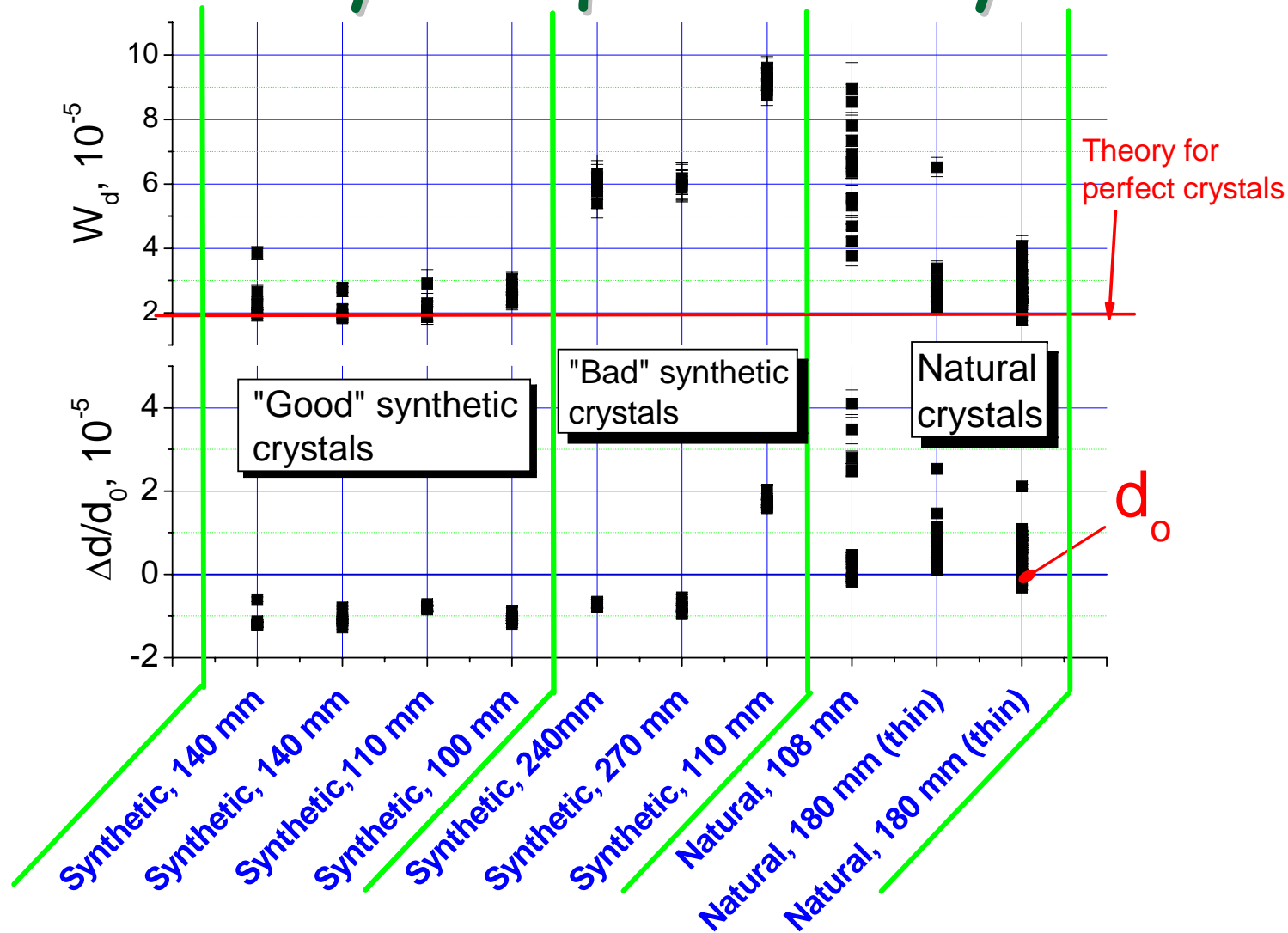
Both crystals (sample and analyzer) are perfect but have different interplanar distance

$$\Delta d/d \sim 10^{-5}$$

Example of two crystal line ("bad")



Summary of quartz crystals



Summary of quartz crystals

	Description	$W_{\Delta d/d}, 10^{-5}$	$\Delta d/d, 10^{-5}$
1	Synthetic, 140x140x35mm ³	2.0 – 2.7	-(1.3 – 1.0)
2	Synthetic, 240x160x40mm ³	6	-(0.8 – 0.7)
3	Synthetic, 270x148x40mm ³	6	-(0.9 – 0.6)
4	Synthetic, 140x140x35mm ³	2.0 – 2.6	-(1.3 – 1.0)
5	Natural, 180x130x8mm ³	2.2 – 3.0	+(0.2 – 1.2)
6	Synthetic, 110x40x14mm ³ (“bad”)	8.8 – 9.5	+(1.6 – 1.8)
7	Synthetic, 110x40x18mm ³ (“good”)	1.9 – 2.2	-(0.9 – 0.8)
8	Natural, 108x85x143mm ³	3.5 – 8.0	+(0.0 – 3.0)
9	Natural, 180x118x8mm ³ (analyzer)	1.9 – 3.2	-0.5 – +0.5
10	Synthetic, 100x100x30mm ³	2.4 – 2.7	-(1.2 – 1.0)

Summary

- The backscattering method to test the crystal quality was developed
- Low requirement for the preliminary angular alignment ($\sim 0.5^\circ$) due to large Bragg width for $\pi/2$ reflex
- The crystals can be measured without preliminary preparation (cutting off, polishing and ...)
- The tested crystal thickness is limited only by the neutron absorption, so for quartz and silicon crystals we test up to 50 cm.
- The accuracy of measurements can be $\Delta d/d \sim 10^{-7}$ relatively to reference crystal